

Multi-receiver Physical Layer Security using Reconfigurable Intelligent Surfaces

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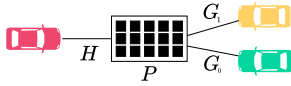
- Physical Layer Security (PLS) techniques can leverage random wireless channel realizations for security and privacy
- Via Reconfigurable Intelligent Surfaces (RISs), we can
 - enhance signal quality at an intended receiver, even without line of sight
 - while generating disrupting interference towards potential eavesdroppers
- Existing approaches consider single receiver / single RIS scenarios
- We extend the existing model to work with multiple receivers and multiple RISs, and evaluate the spatial coverage of the privacy feature
- Using a Ray Tracer like Sionna helps us validate the model using realistic simulations

Problem

Enable legitimate receivers to decode an SSK signal while making it incomprehensible to eavesdroppers.

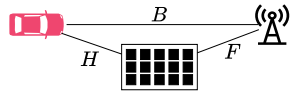
System model

Car to car communication using RISs



$$y = GPHx = \begin{bmatrix} \alpha_{11} & 0 & \cdots & 0 \\ 0 & \alpha_{22} & \cdots & 0 \\ \vdots & \vdots & \ddots & \vdots \\ 0 & 0 & \cdots & \alpha_{KK} \end{bmatrix} \begin{bmatrix} 1 \\ 0 \\ \vdots \\ 0 \end{bmatrix} = \begin{bmatrix} \alpha_{11} \\ 0 \\ \vdots \\ 0 \end{bmatrix}$$

Car to eavesdropper communication disrupted



$$y = Bx + FPHx$$

Solution

Choose RIS configuration so that the overall channel matrix for intended receivers is diagonal.

$$\|G_j PH - [G_j PH]_{diag}\|^2 = 0, \quad \forall j \in \{1, \dots, J\}$$

Solve $p^\dagger W p = 0$ with $W = [W_1^\dagger, \dots, W_J^\dagger]^\dagger$

$$W_j = \sum_{i=1}^K \sum_{k=1, i \neq k}^K (g_{jk,*} \odot h_{*,i}^\dagger)^\dagger (g_{jk,*} \odot h_{*,i}^\dagger) \in \mathbb{C}^{N \times N}$$

Compute the singular value decomposition

$$W = R \Sigma V^\dagger \in \mathbb{C}^{JN \times N}$$

Take the last $N - J(K^2 - K)$ rows of $V^\dagger \in \mathbb{C}^{JN \times N}$ as U_1

Define $U = U_1^\dagger \in \mathbb{C}^{N \times N - J(K^2 - K)}$ and take

$$p = \frac{\eta}{\|Uq\|_\infty} Uq \quad \text{with } q \neq 0 \text{ a random complex vector}$$

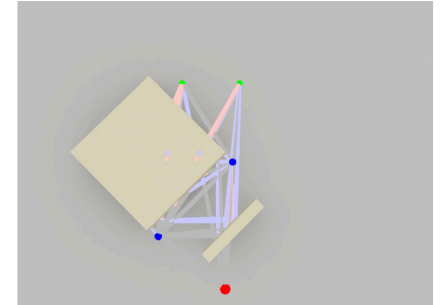
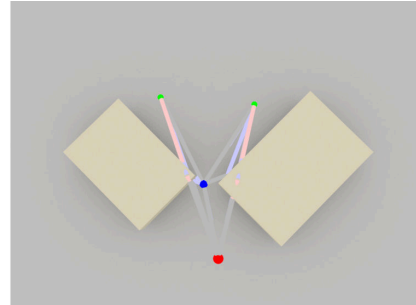
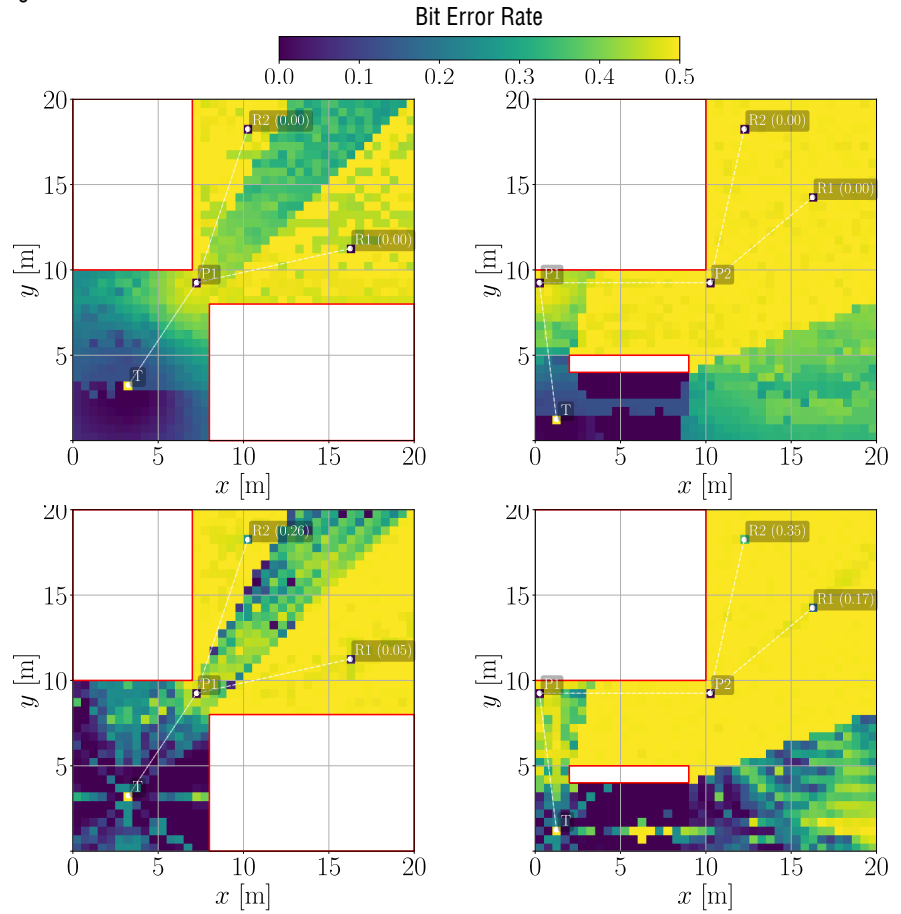
The RIS configuration is $P = \text{diag}(p) \in \mathbb{C}^{N \times N}$

If we have multiple RISs in series, define

$$\|GP_1 C_1 \dots P_M H - [GP_1 C_1 \dots P_M H]_{diag}\|^2 = 0$$

$$G' = GP_1 C_1 \dots P_{M-1} C_{M-1} \in \mathbb{C}^{K \times N}$$

and solve as before.



References

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